

# CONNECTIONS ACROSS THE CURRICULUM: Proportional Reasoning

## MATHEMATICS

Fraction = Ratio = Decimal = Percent

$$\frac{2}{5} = 2:5 = 0.40 = 40\%$$

Equivalent Ratios

$$\frac{2}{6} = \frac{1}{3} \quad 2:6 = 1:3$$

Look for a multiplication relationship *between* ratios

$5:60 = 35:d$   
Think: What do we multiply 5 by to get 35? Multiply 60 by the same number.

$$\times 7 \left( \begin{array}{c|c} 5 & 60 \\ \hline 35 & d \end{array} \right) \times 7$$

So,  $60 \times 7 = d$   
That is,  $d = 420$

Look for a multiplication relationship *within* ratios

$5:60 = 35:d$   
Think: What do we multiply 5 by to get 60? Multiply 35 by the same number.

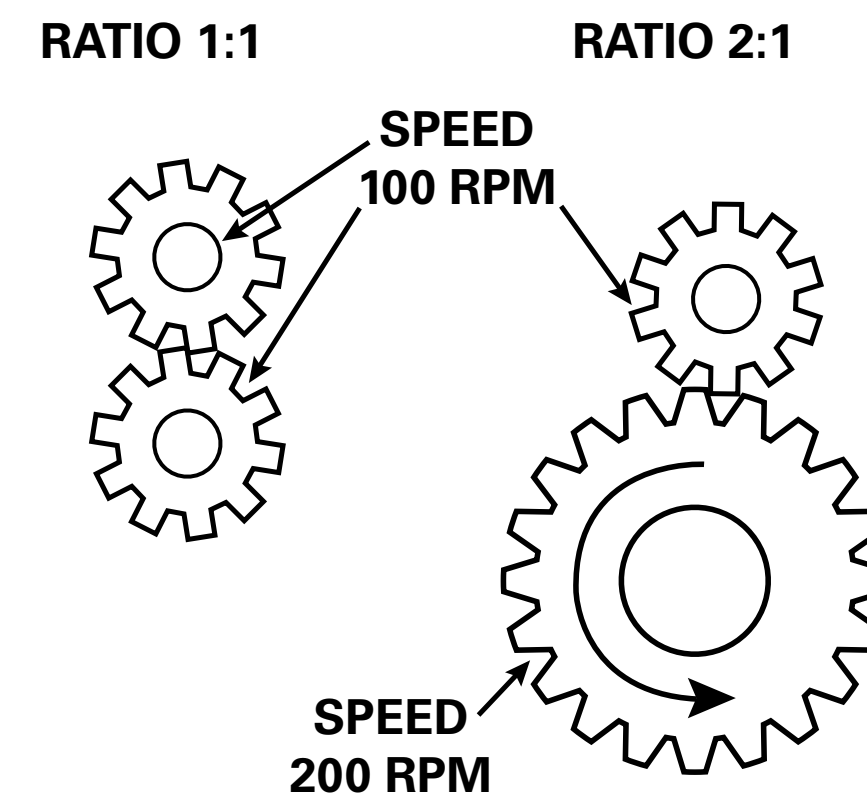
$$\times 12 \left( \begin{array}{c|c} 5 & 60 \\ \hline 35 & d \end{array} \right) \times 12$$

So,  $35 \times 12 = d$   
That is,  $d = 420$

A dose of 420 mg is needed for a body mass of 35 kg.

## TECHNOLOGICAL STUDIES

### Gear Ratios

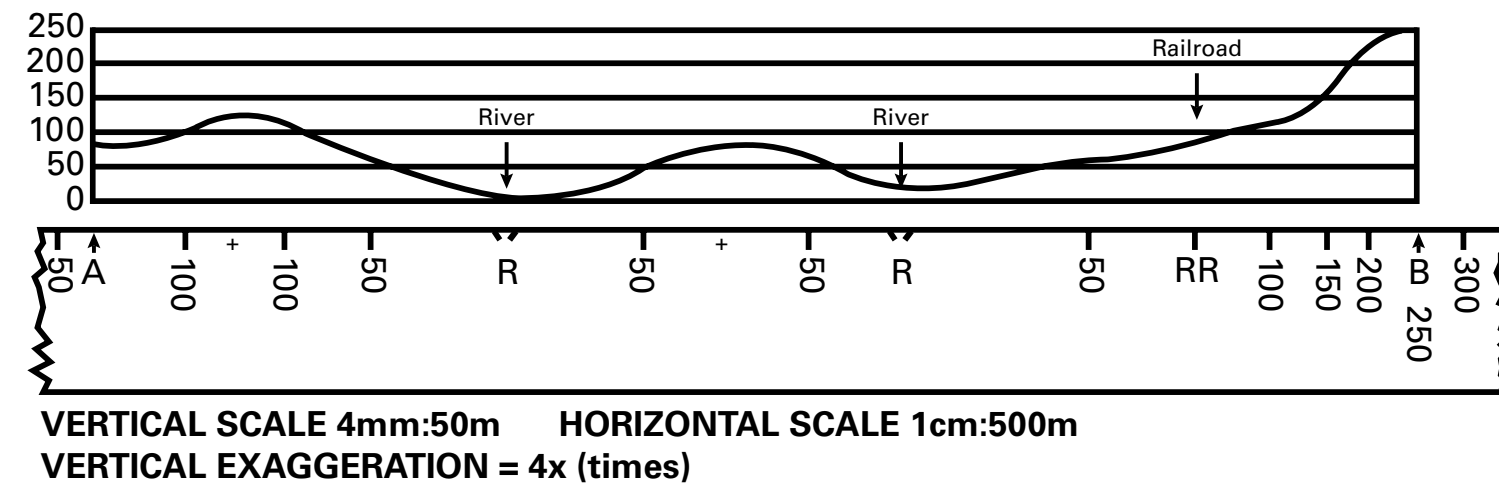


### Fuel Mixing Ratios

Fuel to Oil Ratios			
Ratio Fuel-Oil	ml oil per 1 litre fuel	ml oil per 5 litre fuel	Shown as percentage
20-1	50	250	5.00%
25-1	40	200	4.00%
30-1	33	167	3.33%
35-1	29	143	2.86%
40-1	25	125	2.50%
50-1	20	100	2.00%

## GEOGRAPHY

### Map Scales



Vertical Exaggeration =  $\frac{\text{horizontal scale}}{\text{vertical scale}}$

$$= \frac{500 \text{ m (1 cm : 500 m)}}{125 \text{ m (4 mm : 50 m)}}$$

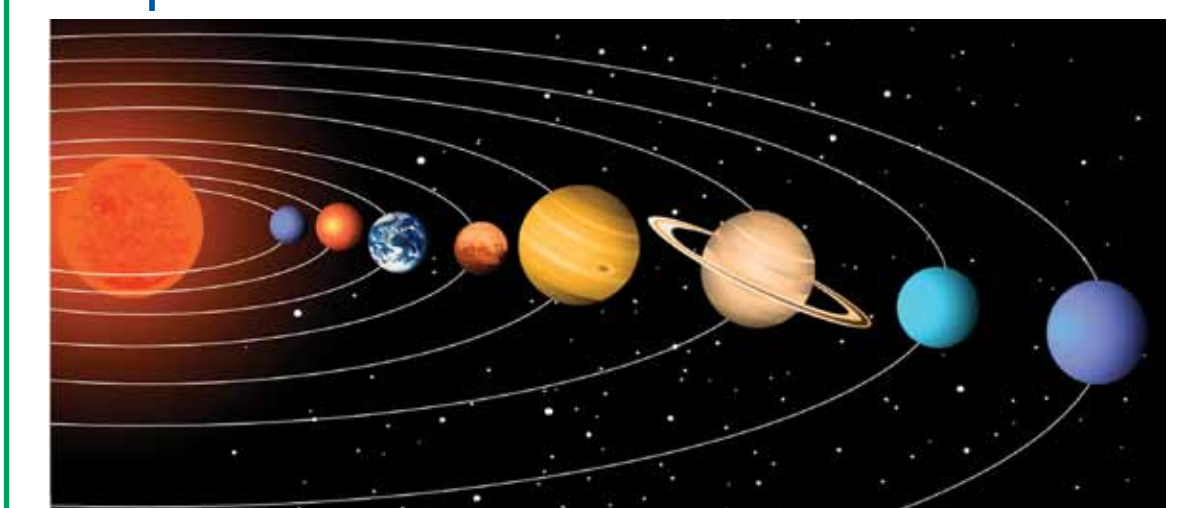
## SCIENCE

### Rate

Describe the relationship between carbon dioxide levels and global temperatures.

### Scale

Using everyday materials, construct a physical representation of the solar system which accurately depicts the difference in the planet sizes.



### Proportional Reasoning

Proportional thinking involves the use of multiplicative relationships, in the form of rates, ratios, and percents, to solve problems.

Ratios, rates, and percents, just like fractions and decimals, are comparisons of quantities.

- A ratio compares quantities with the same unit, for example, 2 boys to 3 girls (the unit being children).
- A rate compares quantities with different units, for example, distance to time, or price per number of items.
- A percent always compares a quantity to 100.\*